Name: SOLUTION

<u>ID#:</u>

## Math 102-001 Fall 2015 Quiz #1

- 1. An object is heated at a constant rate. At time t=0, it is temperature is T=16.2°C. Every hour the temperature rises by 0.4°C. [8 marks]
  - a) Write an equation to express the temperature T in terms of the time passed t.

b) Use your equation to find the temperature after 6 ½ hours have passed. (use a full sentence for the final answer)

LET 
$$t=6.5$$
  
THEN  $T=16.2+(0.4)(6.5)=18.8$   
AFTER 61/2 HOURS THE TEMPORATURE IS 18.8°C

c) After how many hours will the temperature of the object reach 30°C? (use a full sentence for the final answer)

LET 
$$T=30$$
  
SOLVE  $30=16.2+0.4t$   
 $13.8=0.4t$   
 $t=34.5$   
THE TEMPERATURE WILL REACH  $30^{\circ}$ C AFTER  $34.5$  Hours.

d) A second object is cooled at the same time. Its temperature  $(T_2)$  is modeled by the equation  $T_2 = 26.4 - 0.8t$ After how many hours will the two objects have the same temperature?

(use a full sentence for the final answer)

SOLVE 
$$16.2 + 0.4 = 26.4 - 0.8 = 1.2 = 10.2$$

$$E = 8.5$$

a) Write as a single fraction: 
$$\left(\frac{3}{2} - \frac{1}{3}\right) \div \frac{4}{3}$$

$$= \left(\frac{9}{6} - \frac{2}{6}\right) \times \frac{3}{4} = \frac{7}{6} \times \frac{3}{4} = \frac{7}{8}$$

b) Evaluate: 
$$\left(\frac{4}{9}\right)^{\frac{3}{2}}$$

$$= \left(\frac{q}{4}\right)^{3/2} = \left(\sqrt{\frac{q}{4}}\right)^3 = \left(\frac{3}{2}\right)^3 = \frac{27}{8}$$

c) Factor completely: 
$$2x^6 - 32x^2$$

$$= 2x^2 \left(x^4 - 16\right)$$

$$= 2x^2 \left(x^2 - 4\right) \left(x^2 + 4\right)$$

$$= 2x^2 \left(x - 2\right) \left(x + 2\right) \left(x^2 + 4\right)$$

d) Simplify: 
$$\frac{(3x^{2}y^{-1})(2xy^{2})^{3}}{6x^{4}y^{-5}} = \frac{(3x^{2}y^{-1})(8x^{3}y^{6})}{6x^{4}y^{-5}} = \frac{24x^{5}y^{5}}{6x^{4}y^{-5}} = 4xy^{10}$$

e) Solve for x: 
$$3x^2 + x = 2$$

$$3x^2 + x - 2 = 0$$

$$(3x + 2)(x + 1) = 0$$

$$x = 3$$
AND  $x = -1$ 

$$COR USE COLUMNATIC FORMULA$$

f) Solve for x: 
$$\frac{3}{2x+1} = \frac{2}{x-1}$$
$$3(x-1) = 2(2x+1)$$
$$3x - 3 = 4x + 2$$
$$-x = 5$$
$$x = -5$$